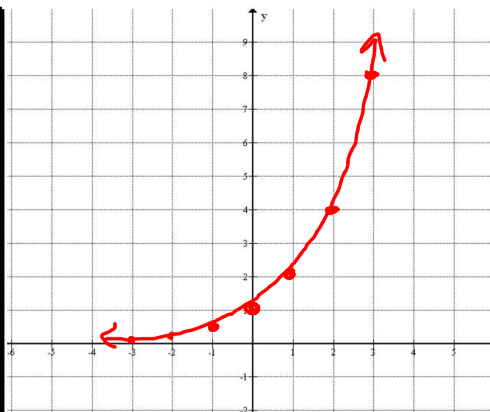


3.4a Exponential Relations

Complete the table of values and graph each

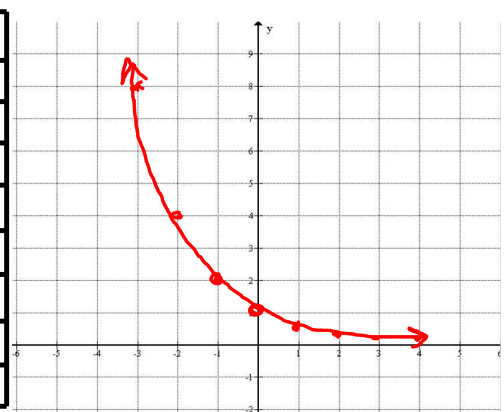
$y = 2^x$

x	y
-3	$\frac{1}{8}$
-2	$\frac{1}{4}$
-1	$\frac{1}{2}$
0	1
1	2
2	4
3	8
4	16



$y = (\frac{1}{2})^x$

x	y
-3	8
-2	4
-1	2
0	1
1	$\frac{1}{2}$
2	$\frac{1}{4}$
3	$\frac{1}{8}$
4	$\frac{1}{16}$



What similarities do you notice between the two graphs?

Both:

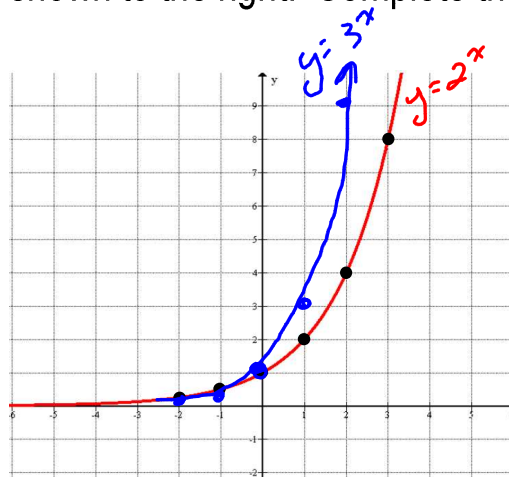
- are exponential
- never touch the x axis
- have a y int of 1 (ie x=0 anything to the 0 is 1)

What differences do you notice between the two graphs?

- one is exponential growth (increases slowly then quickly)
- the other is exponential decay (decreases quickly then slowly)
- they are reflections about the y axis of each other

The graph of $y = 2^x$ is shown to the right. Complete the table and graph $y=3^x$ on the grid.

x	y
-3	$\frac{1}{27}$
-2	$\frac{1}{9}$
-1	$\frac{1}{3}$
0	1
1	3
2	9
3	27
4	81



Look at the value of y when $x=1$. What do you notice?

What are the similarities between the graph of $y=2^x$ and $y=3^x$?

- Both are exp. growth
- Both have a y int. of 1

What are the differences between the graph of $y=2^x$ and $y=3^x$?

For $y=3^x$:

increases more slowly at first when x is neg then increases more quickly when $x > 0$

Explore on Desmos and note how the exponential function changes, as the base changes.

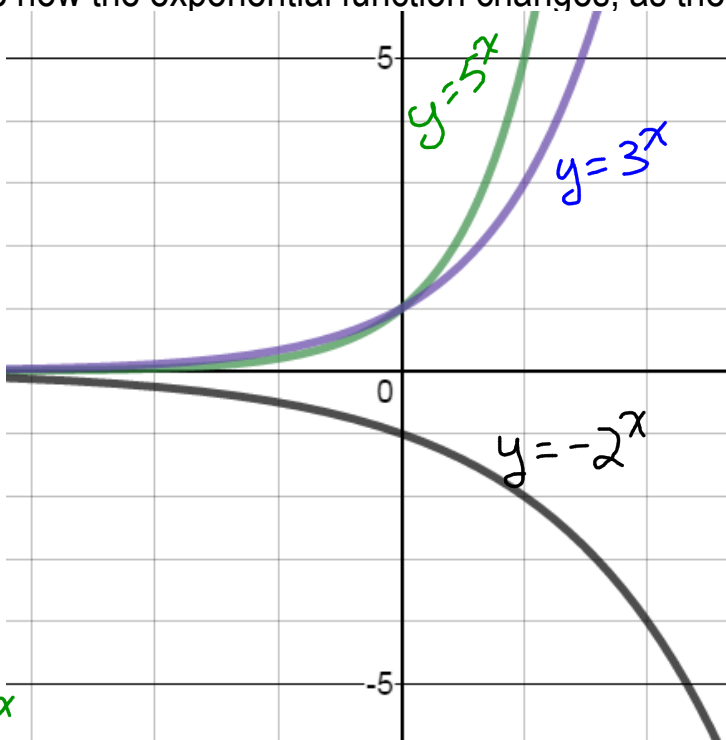
Graph the following:

$y = 3^x$

$y = 5^x$

$y = -2^x$

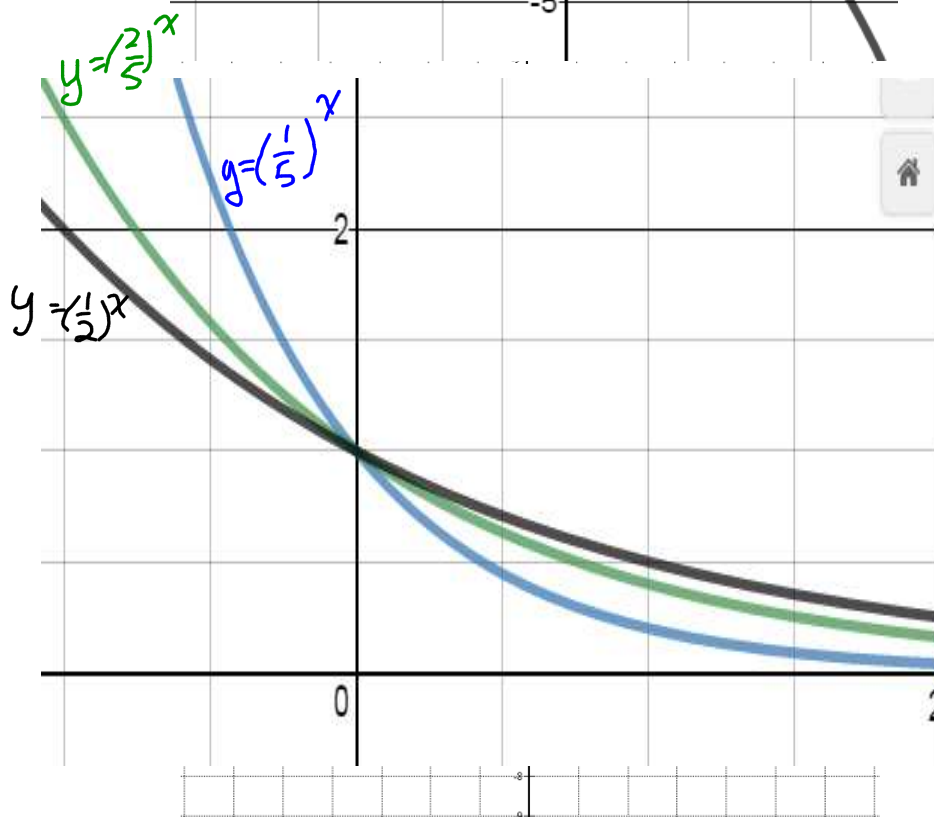
Notice the negative is not in brackets



$y = (\frac{1}{5})^x$

$y = (\frac{2}{5})^x$

$y = (\frac{1}{2})^x$

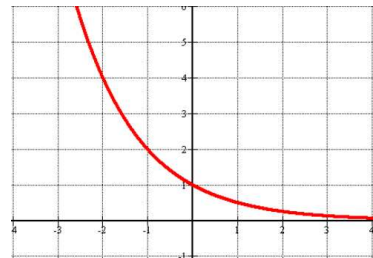
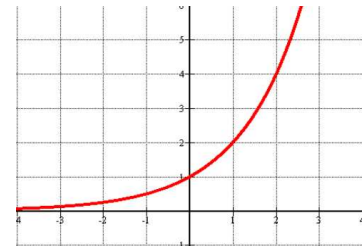


$y = b^x$ Summary

- $y = b^x$ is an **exponential function** note $b > 0$ and $b \neq 1$

Description of the graph

- you can determine the value of b (the base) by looking at the value of y when $x = 1$
- When $b > 1$, (**from left to right**) increases slowly for negative x values, increases rapidly for positive x values = **exponential growth**
- When $0 < b < 1$, (**from left to right**) decreases rapidly for negative x values, decreases slowly for positive x values = **exponential decay**
- for $y = b^x$ the y -intercept is 1 ie when $x = 0$
- there are no x -intercepts



Practice
pg 390 - 391
#1, 2, 3a(i,iii)b
4ab 5ab